## Course Description Form

| 1. Course Name: |
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| Topology I |
| 2. Course Code: |
| MATH 415 |
| 3. Semester / Year: |
| First /2023-2024 |
| 4. Description Preparation Date: |
| 23-3-2024 |
| 5. Available Attendance Forms: |
| Attendance lectures in the classroom |
| 6. Number of Credit Hours (Total) / Number of Units (Total) |
| 60 hours |
| 7. Course administrator's name (mention all, if more than one name) |
| Name: Asst. Prof. Dr. Fadhel Subhi Fadhel |
| Email: fadhel.subhi@nahrainuniv.edu.iq |


|  |  | student, which is supported by learning strategies. Teaching strategies include a set of organized plans and methods followed by the subject teacher in order to guide students towards achieving learning goals, including cognitive goals for theoretical subjects and skill goals for proving theorems in a mathematical manner through sequential and ordered steps, and emotional and value goals through sensory perception of the operative theorems and results and then their proofs. And how to deal with it. This is done through specific teaching and learning methods in order for the student to acquire general and qualifying skills that are transferable. |  |  |  |
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| 10. Course Structure |  |  |  |  |  |
| Week | Hours | Required Learning Outcomes | Unit or subject name | Learning method | Evaluation method |
| 1 | 4 | Introducing topological spaces and its related definitions, as well as, basic definitions and elementary examples | Topological spaces | Attendance interactive lectures | Ask questions and give assignments |
| 2 | 4 | Give well known examples definitions in topology (indiscrete, discrete, usual and cofinite topologies) | Examples of topological spaces | Attendance interactive lectures | Ask questions and give assignments |
| 3 | 4 | Studying the derived sets and closure of a set | Topological spaces | Attendance interactive lectures | Ask questions and give assignments |
| 4 | 4 | Studying the interior, exterior and the boundary points | Topological spaces | Attendance interactive lectures | Ask questions and give some homework's |
| 5 | 4 | Basis and local bases | Topological spaces | Attendance interactive lectures | Ask questions and give assignments |
| 6 | 4 | Introducing dense and nowhere dense spaces, separated sets | Topological spaces with special properties | Attendance interactive lectures | Ask questions and give assignments |
| 7 | 4 | Introducing connected, disconnected and separated sets | Topological spaces with special properties | Attendance interactive lectures | Ask questions and give assignments |
| 8 | 4 | Continuous, open and closed mappings | Mappings | Attendance interactive lectures | Ask questions and give assignments |


| 9 | 4 | More concepts related continuous, open and closed mappings | Mappings | Attendance interactive lectures | Ask questions, give assignments, and make a 1st attendance mid exam |
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| 10 | 4 | Homeomorphisms | Mappings | Attendance interactive lectures | Ask questions and give assignments |
| 11 | 4 | Topological properties and hereditary | Mappings | Attendance interactive lectures | Ask questions and give assignments |
| 12 | 4 | Product Topological Spaces | Mappings | Attendance interactive lectures | Ask questions and give assignments |
| 13 | 4 | Definitions and examples of compact sets, as well as some theoretical results | Compactness | Attendance interactive lectures | Ask questions, give assignments, and make a 2 nd attendance mid exam |
| 14 | 4 | Compact sets (further results) | Compactness | Attendance interactive lectures | Ask questions and give assignments |
| 15 | 4 | Stating and proving the intermediate value theorem | Intermediate value theorem | Attendance interactive lectures | Ask questions and give assignments |
| 11. Course Evaluation |  |  |  |  |  |
| Distributing the score out of 100 according to the tasks assigned to the student such as daily preparation, daily oral, monthly, or written exams, reports ... etc. <br> $30 \%$ monthly written exams <br> $10 \%$ daily and oral exams, homework's, and class activities <br> $60 \%$ written final exam |  |  |  |  |  |
| 12. Learning and Teaching Resources |  |  |  |  |  |
| Required textbooks (curricular book any) |  |  | 1. Introduction to General Topology, by: K. Joshi <br> 2. Theory and problems of general topology, Seymour Lipchitz, Schuam's series, 1965 |  |  |
| Main references (sources) |  |  | 1-Lecture Notes on Topology, by: John Rognes, 2018. <br> 2-General Topology, by: Tom Leinster, 2014 |  |  |
| Recommended books and referen (scientific journals, reports...) |  |  | 1-Lecture Notes- General Topology, by: ZiadKhalil, 2022.General Topology, by: Jesper M. M $\phi 1$ ler. |  |  |
| Electronic References, Websites |  |  | 1-lecturervv3JNSPKeEU |  |  |

